7-3)

Says 'elastic,' assume totally elastic.

Let 'to the right' be positive

 $m_1 = 3 \text{ kg}$ $m_2 = 1 \text{ kg}$ $v_{1i} = 0.2 \text{ m/s}$ $v_{2i} = -0.4 \text{ m/s}$ (to the left)

No external forces in the horizontal direction, so momentum is conserved horizontally.

Use relationships given in class:

 $v_{1f} = v_{1i}[m_1 - m_2]/[m_1 + m_2] \quad and \quad v_{2f} = 2m_1 v_{1i}/[m_1 + m_2]$

Remember though that these are valid only if m_2 were initially at rest.

Use the relative velocity approach:

	Initial velocities in original frame	Convert	Initial velocities in new frame	Final velocities in new frame	Convert back to original frame	final velocities in original frame
m_1	+0.2 m/s	+0.4	0.6		-0.4	<mark>-0.1 m/s</mark>
m ₂	-0.4 m/s	+0.4	0		-0.4	+0.5 m/s

b)

For m₁: $\Delta p = m_1 v_{1f} - m_1 v_{1i} = 3(-0.1 - 0.2) = -0.9 \text{ kg m/s}$ For m₂: $\Delta p = m_2 v_{2f} - m_2 v_{2i} = 1(0.5 - -0.4) = +0.9 \text{ kg m/s}$

So momentum was transferred from mass 1 to mass 2, but none was lost.

c)

For m₁: $\Delta K = \frac{1}{2}m_1v_{1f}^2 - \frac{1}{2}m_1v_{1i}^2 = 0.5*3*((-0.1)^2 - (0.2)^2) = -0.045 \text{ J}$ For m₂: $\Delta K = \frac{1}{2}m_2v_{2f}^2 - \frac{1}{2}m_2v_{2i}^2 = 0.5*0.01*((0.5)^2 - (-0.4)^2) = +0.045 \text{ J}$ So kinetic energy was transferred from mass 1 to mass 2, but none was lost.