8-10)

$$\begin{split} &\omega_o=70.4 \mbox{ rad/sec} \ (\mbox{don't actually need this!}) \\ &r_o=11 \mbox{ km}=1.1 \mbox{x} 10^4 \mbox{ m} \\ &\Delta \omega / \omega_o=2.01 \mbox{x} 10^{-6} \end{split}$$

Assume there are no external torques and that angular momentum is conserved. At any time, then the angular momentum L should equal the original value:

 $L = L_o$

We don't even have to assume that the star is a uniform sphere, only that it has the same basic shape before and after the glitch (*i.e.* our γ should be the same).

$$\begin{split} &I\omega = I_{o}\omega_{o} \\ &^{2}/5mr^{2}\omega = {}^{2}/5mr_{o}{}^{2}\omega_{o} \\ &r^{2}\omega = r_{o}{}^{2}\omega_{o} \\ &r = [r_{o}{}^{2}\omega_{o}]^{1/2}\omega^{-1/2} \\ &dr/d\omega = {}^{-1}/{}_{2}[r_{o}{}^{2}\omega_{o}]^{1/2}\omega^{-3/2} = {}^{-1}/{}_{2}[r_{o}{}^{2}\omega_{o}]^{1/2}\omega^{-1} = {}^{-1}/{}_{2}r\omega^{-1} \end{split}$$

So, $d\mathbf{r} = -[\mathbf{r}/2][d\omega/\omega]$ or $\Delta \mathbf{r} = -[\mathbf{r}/2][\Delta\omega/\omega] = -[1.1 \times 10^4/2][2.01 \times 10^{-6}] = -0.011 \text{ m}$